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02.07.2015

## HOMEWORX 02.07.2015

*Evan's algebraic toils continue...*

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Express as a polynomial

*Swok. Cole, P. 43, #11*

$$(3x + 5)(2x^2 + 9x - 5)$$

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Express as a polynomial

*Swok. Cole, P. 43, #19*

$$\frac{3u^3v^4 - 2u^5v^2 + (u^2v^2)^2}{u^3v^2}$$

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Express as a polynomial

*Swok. Cole, P. 44, #35*

$$(x^{\frac{1}{3}} - y^{\frac{1}{3}})(x^{\frac{2}{3}} + x^{\frac{1}{3}}y^{\frac{1}{3}} + y^{\frac{2}{3}})$$

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Express as a polynomial

*Swok. Cole, P. 44, #52*

$$121r^3s^4 + 77r^2s^4 - 55r^4s^3$$


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Simplify

*Swok. Cole, P. 54, #27*

$$\frac{p^4 + 3p^3 - 8p - 24}{p^3 - 2p^2 - 9p + 18}$$


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Simplify

*Swok. Cole, P. 55, #71*

$$(x^2 - 4)^{\frac{1}{2}}(3)(2x + 1)^2(2) + (2x + 1)^3\left(\frac{1}{2}\right)(x^2 - 4)^{-\frac{1}{2}}(2x)$$

Simplify

*Swok. Cole, P. 55, #81*

$$\frac{(4x^2 + 9)^{\frac{1}{2}}(2) - (2x + 3)\left(\frac{1}{2}\right)(4x^2 + 9)^{-\frac{1}{2}}(8x)}{[(4x^2 + 9)^{\frac{1}{2}}]^2}$$


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Simplify; rationalize denominator if necessary

*Swok. Cole, P. 56, #20*

$$\left(\frac{-64x^3 \frac{2}{3}}{z^6 y^9}\right)$$


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Express in the form  $a+bi$ , where  $a$  and  $b$  are real numbers*Swok. Cole, P. 96, Example 3a*

$$4(2 + 5i) - (3 - 4i)$$

Express in the form  $a+bi$ , where  $a$  and  $b$  are real numbers*Swok. Cole, P. 96, Example 3c*

$$i(3 - 2i)^2$$


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Express in the form  $a+bi$ , where  $a$  and  $b$  are real numbers*Swok. Cole, P. 98, Example 4a*

$$\frac{1}{9 + 2i}$$


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Express in the form  $a+bi$ , where  $a$  and  $b$  are real numbers

*Swok. Cole, P. 98, Example 4b*

$$\frac{7-i}{3-5i}$$


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Express in the form  $a+bi$ , where  $a$  and  $b$  are real numbers

*Swok. Cole, P. 99, Example 5*

$$(5 - \sqrt{-9})(-1 + \sqrt{-4})$$


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Solve the equation (and make your steps as long and difficult as possible)

*Swok. Cole, P. 108, #11*

$$y^{\frac{3}{2}} = 5y$$


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Solve the equation (make your work count, but don't count on it working)

*Swok. Cole, P. 108, #31*

$$\sqrt{2\sqrt{3x+1}} = \sqrt{3x-5}$$


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Solve the equation (show your work, though I bet it will SHOW YOU first)

*Swok. Cole, P. 108, #33*

$$\sqrt{1+4\sqrt{x}} = \sqrt{x} + 1$$


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Solve the equation (just f\_ck\_n' solve it, man)

*Swok. Cole, P. 108, #35*

$$x^4 - 25x^2 + 144 = 0$$


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Solve the equation (and destroy it in the process)

*Swok. Cole, P. 108, #45*

$$\left(\frac{t}{t+1}\right)^2 - \frac{2t}{t+1} - 8 = 0$$


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Solve for the specified variable

*Swok. Cole, P. 108, #53*

Period of a pendulum:

$$T = 2\pi\sqrt{\frac{l}{2}} \text{ for } l$$

Solve for inequality; express solutions in terms of intervals when able

*Swok. Cole, P. 118, #35*

$$0 \leq 4 - \frac{1}{3}x < 2$$

Solve for inequality; express solutions in terms of intervals when able

*Swok. Cole, P. 118, #63*

$$\left| \frac{2 - 3x}{5} \right| \geq 2$$

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Solve the equation

*Swok. Cole, P. 127, #5*

$$\frac{1}{\sqrt{x}} - 2 = \frac{1 - 2\sqrt{x}}{\sqrt{x}}$$

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Solve the equation by completing the square

*Swok. Cole, P. 127, #29*

$$-\frac{1}{2} < \frac{2x + 3}{5} < \frac{3}{2}$$

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Solve for the specified variable

*Swok. Cole, P. 127, #48*

Volume of a frustum cone:

$$V = \frac{1}{3}\pi h(r^2 + R^2 + rR) \text{ for } r$$

(We may need a separate sheet of paper.)